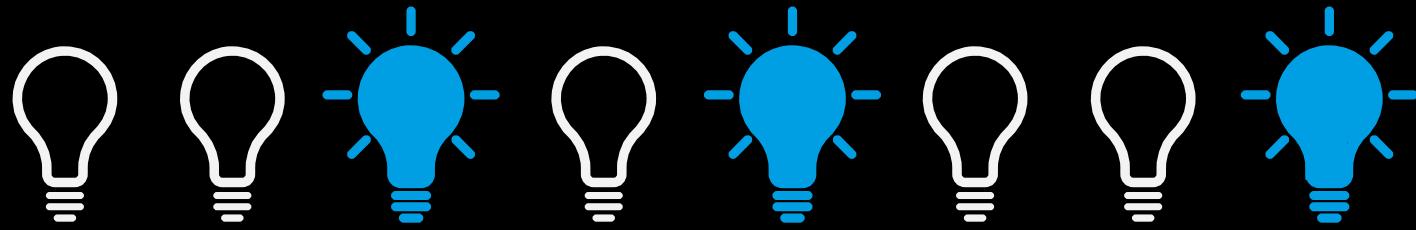
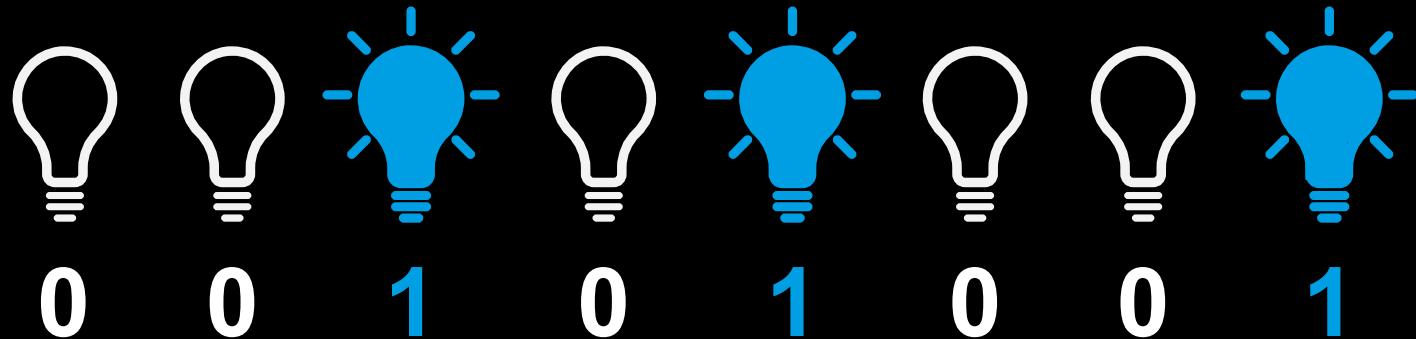


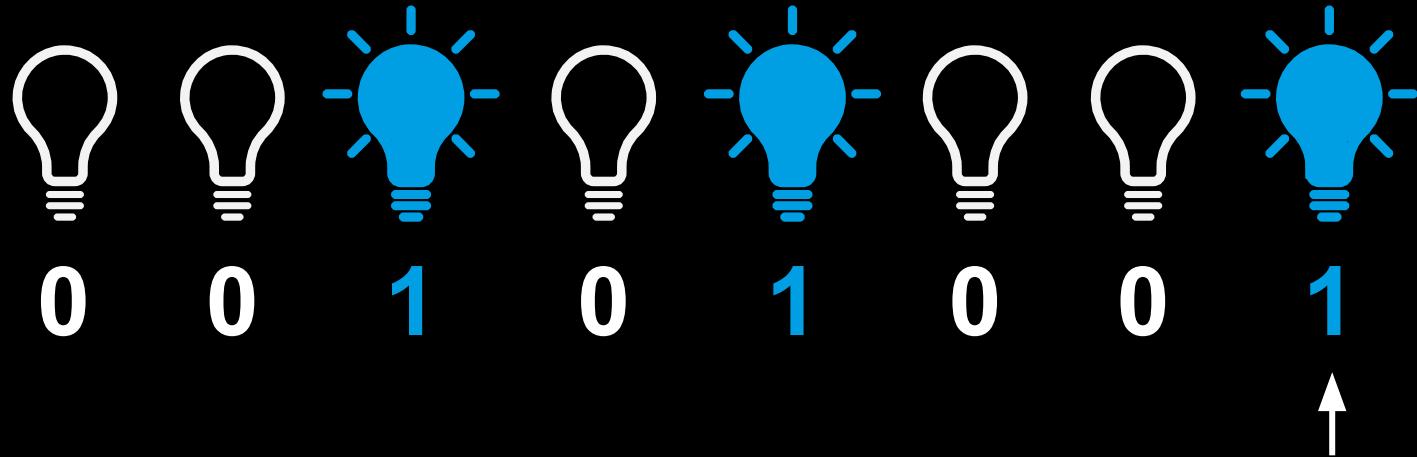
# BITS

why do computers think binary?

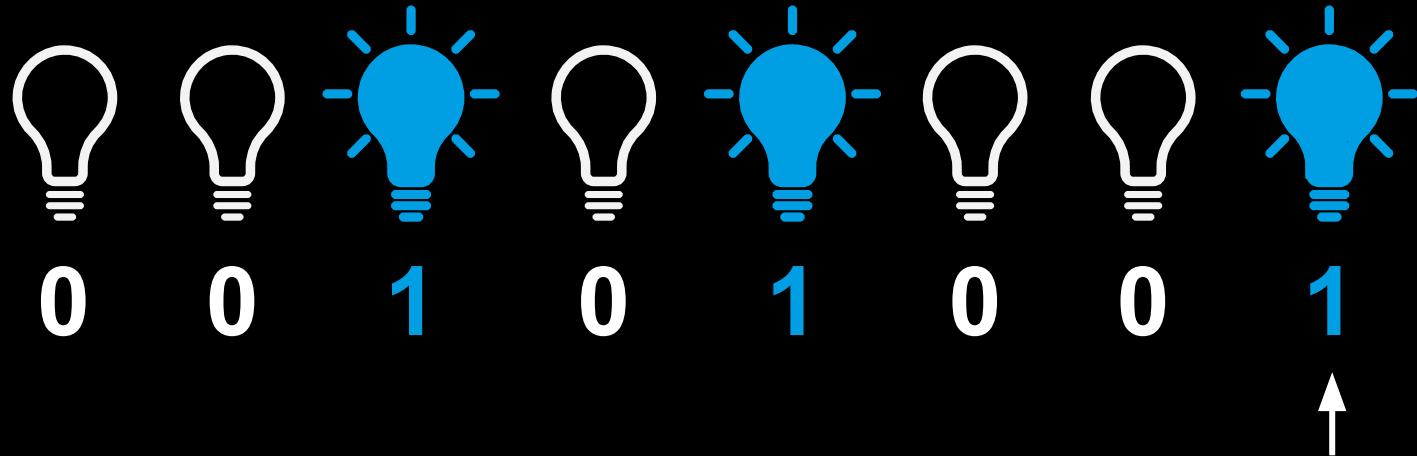








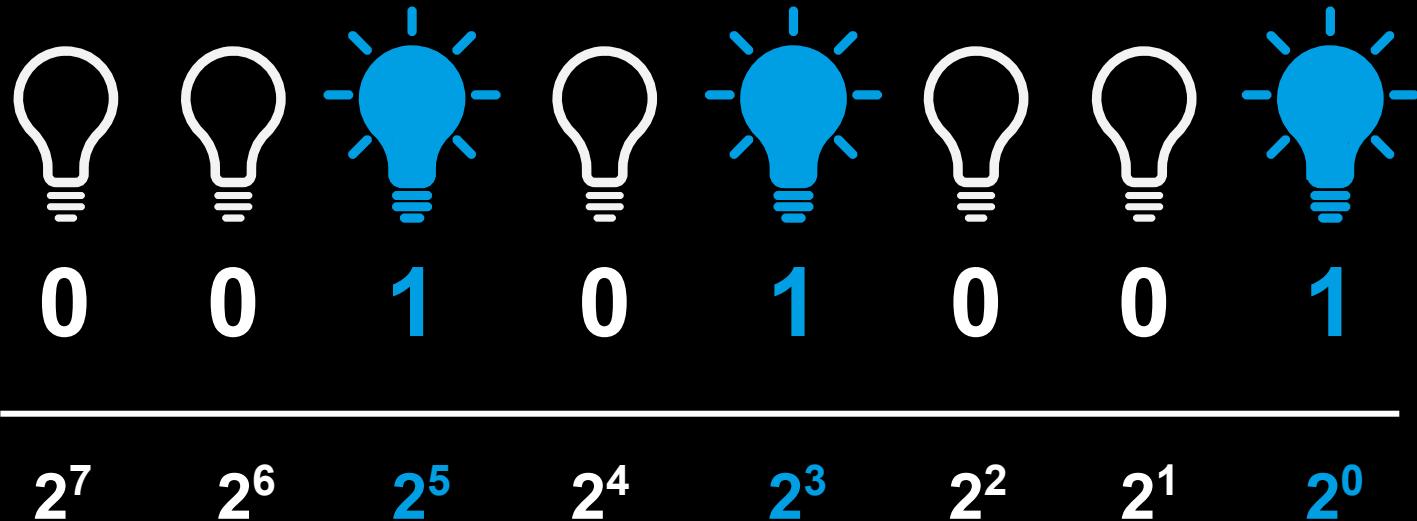
a **bit** (binary digit)

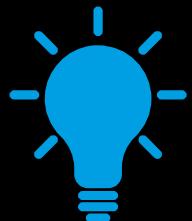
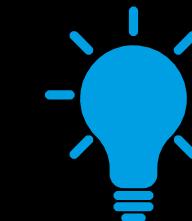
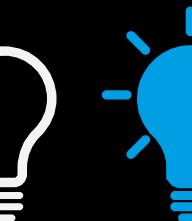


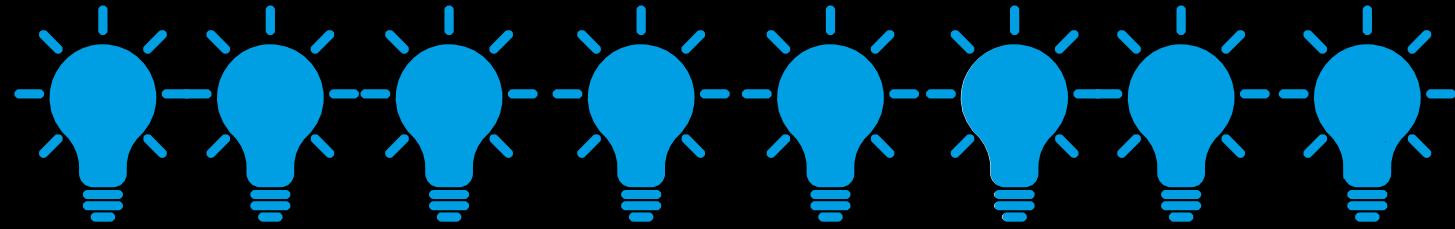
a **bit** (binary digit)

{

a **byte** (8 bits)



							
0	0	1	0	1	0	0	1
<hr/>							
$2^7$	$2^6$	$2^5$	$2^4$	$2^3$	$2^2$	$2^1$	$2^0$
128	64	32	16	8	4	2	1



what can we store in one byte?

what comes after the byte?

$2^{10}$  bytes = 1.024 bytes = 1 Kibibyte (KiB)

$2^{20}$  bytes = 1.048.576 bytes = 1 Mebibyte (MiB)

$2^{30}$  bytes = 1.073.741.824 bytes = 1 Gibibyte (GiB)

$10^3$  bytes = 1.000 bytes = 1 Kilobyte (KB)

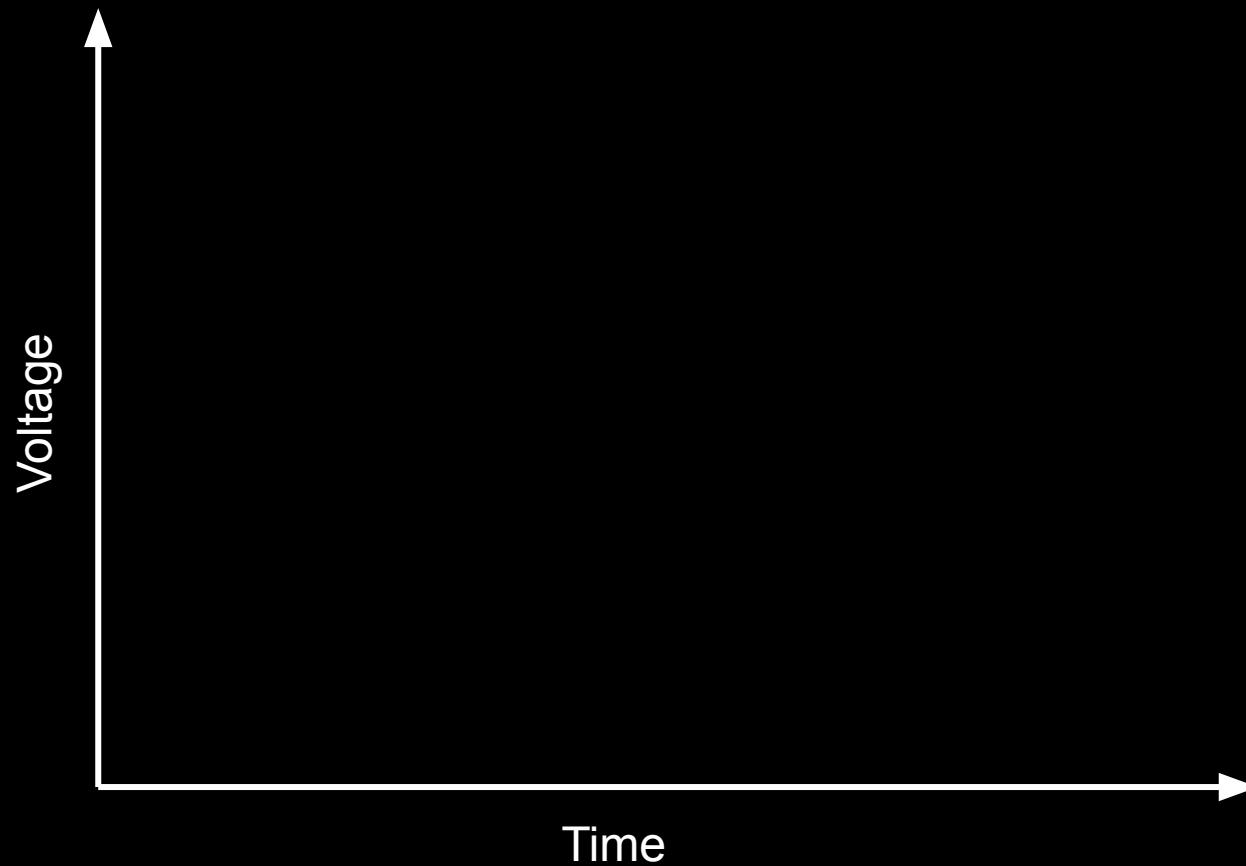
$10^6$  bytes = 1.000.000 bytes = 1 Megabyte (MB)

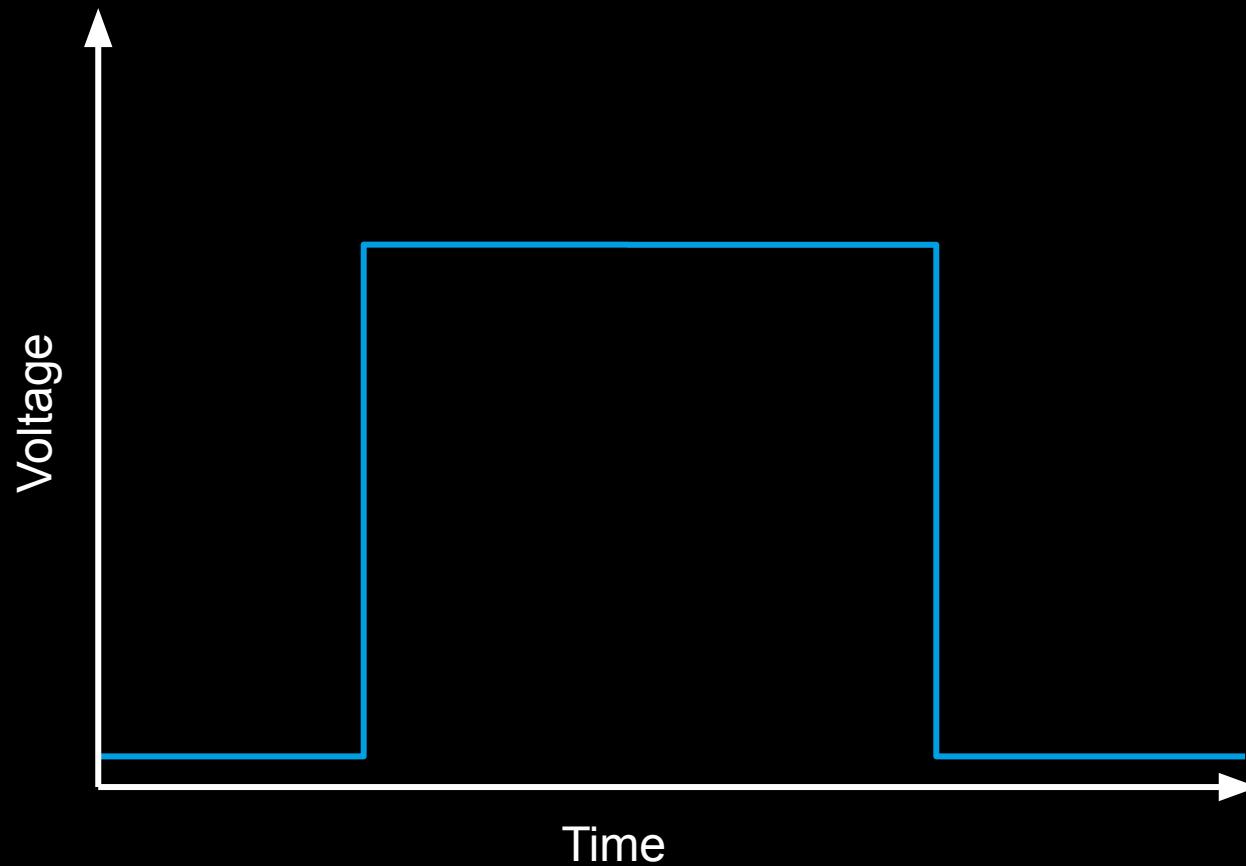
$10^9$  bytes = 1.000.000.000 bytes = 1 Gigabyte (GB)

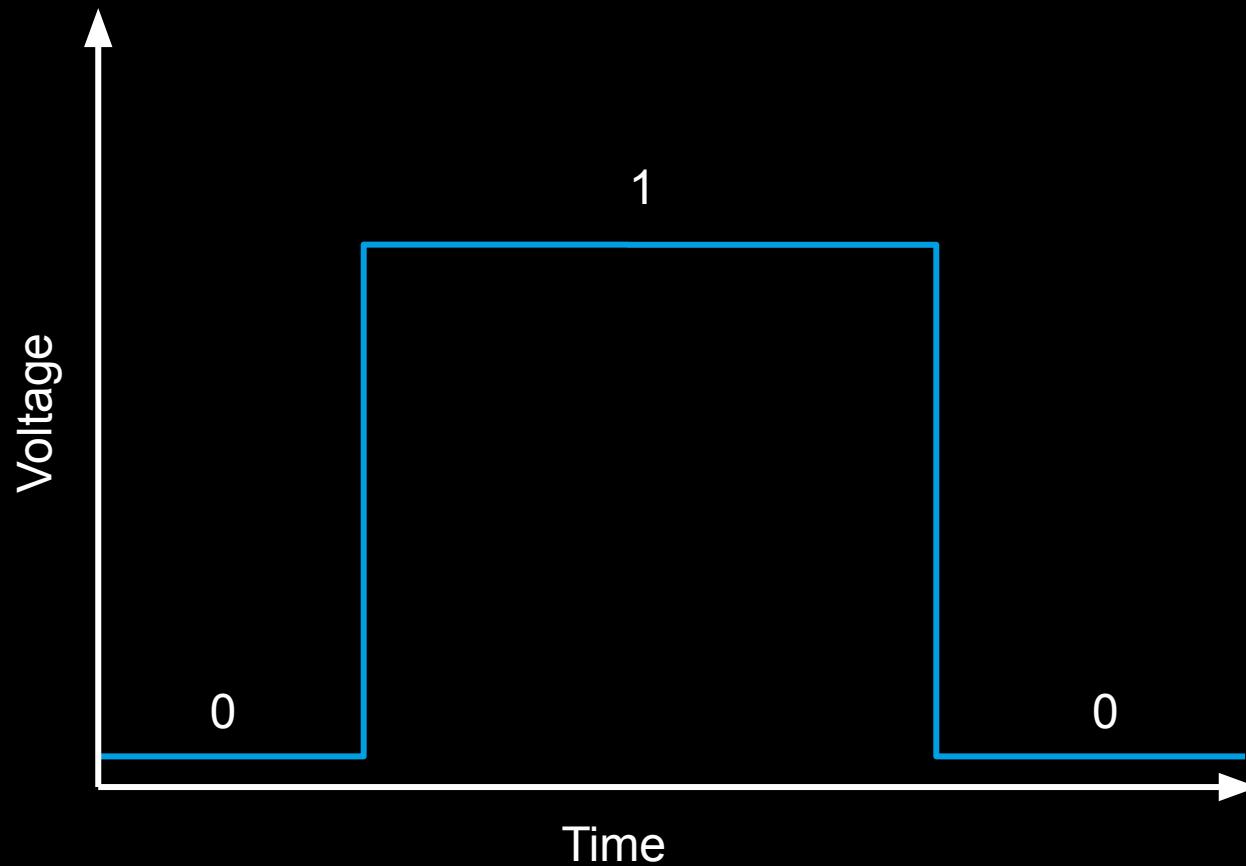
$10^{12}$  bytes = ?

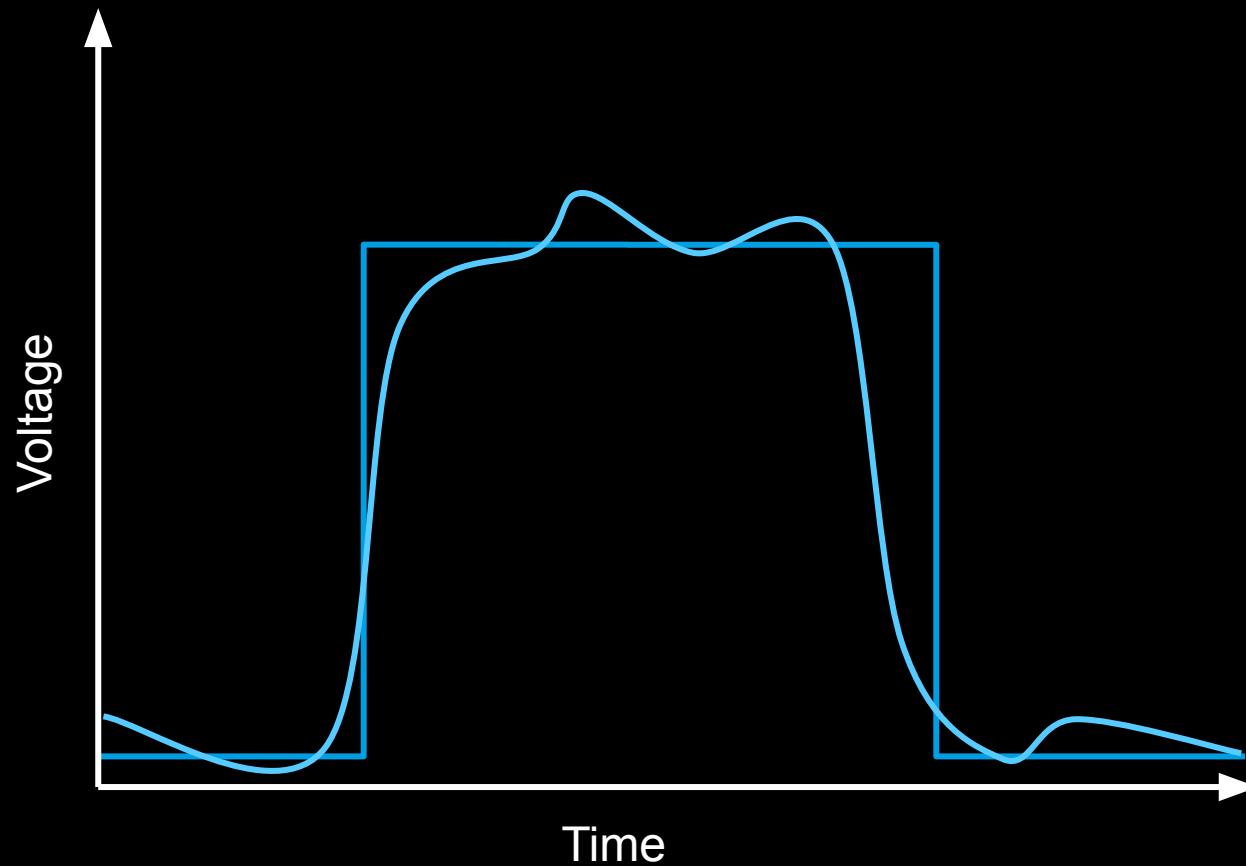
how many bits are on a DVD with  
4.7 GB capacity?

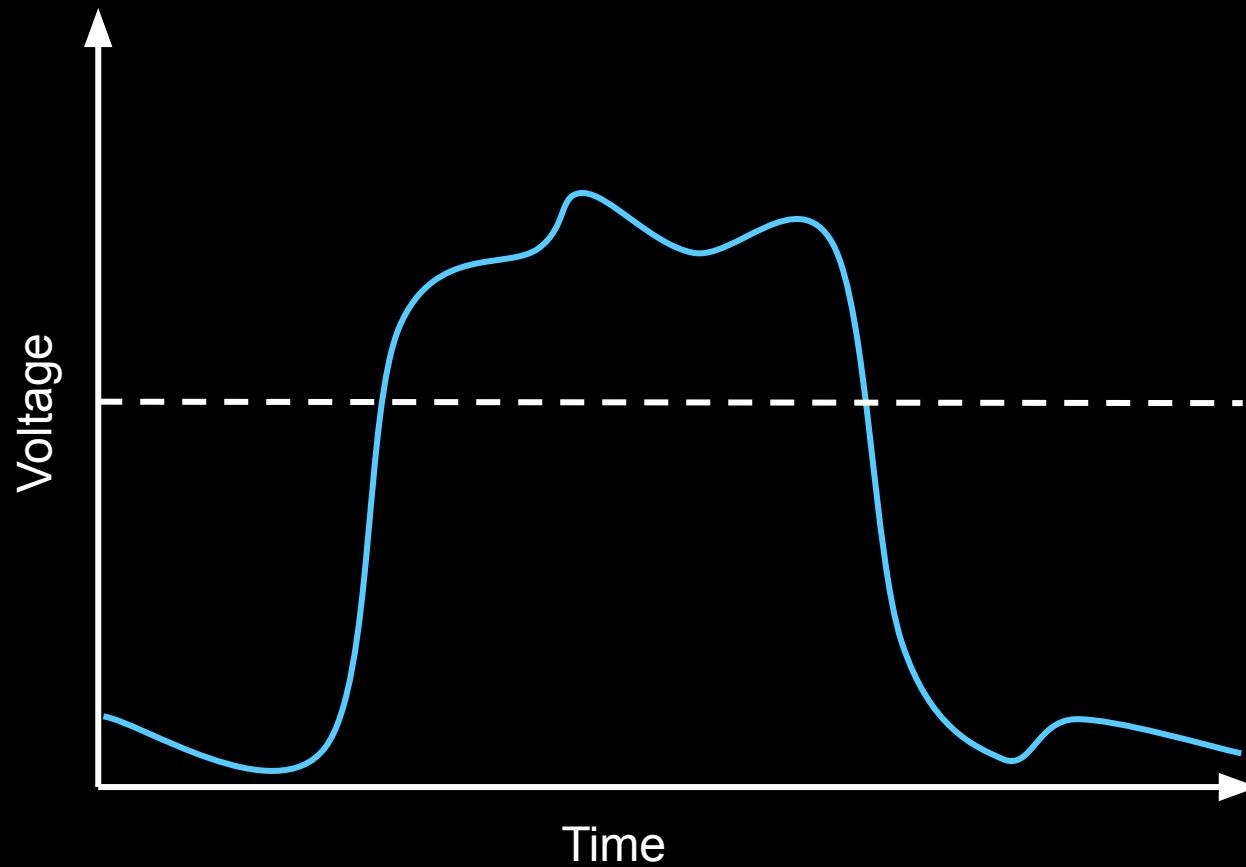
are we stuck with binary?

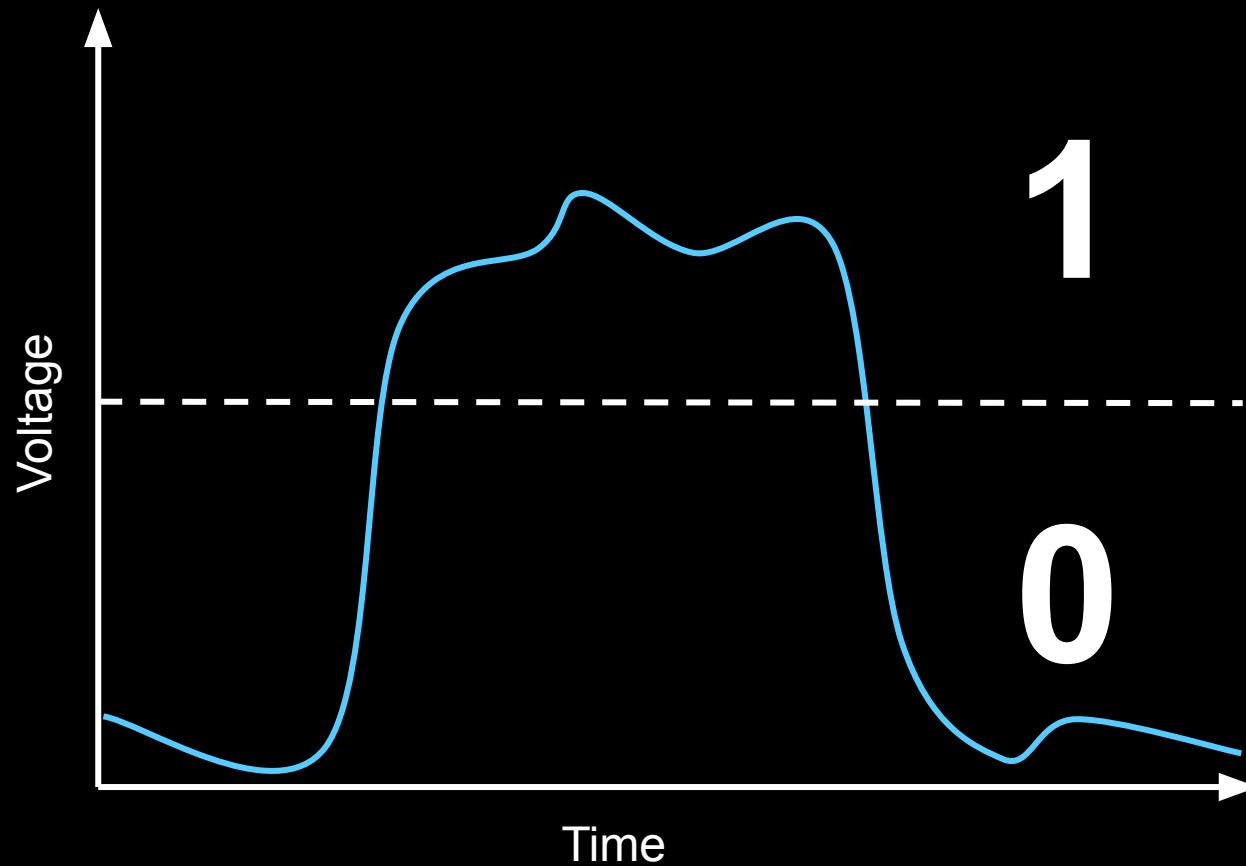


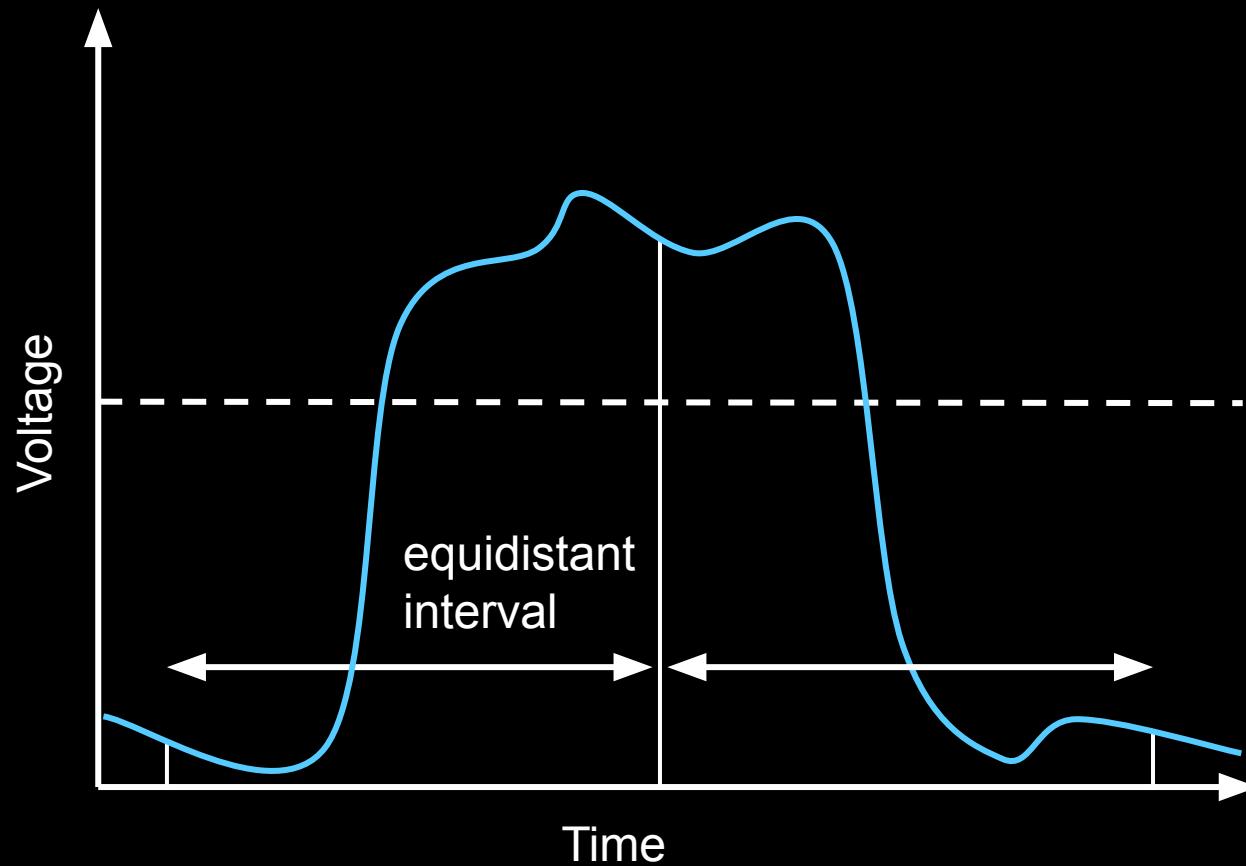


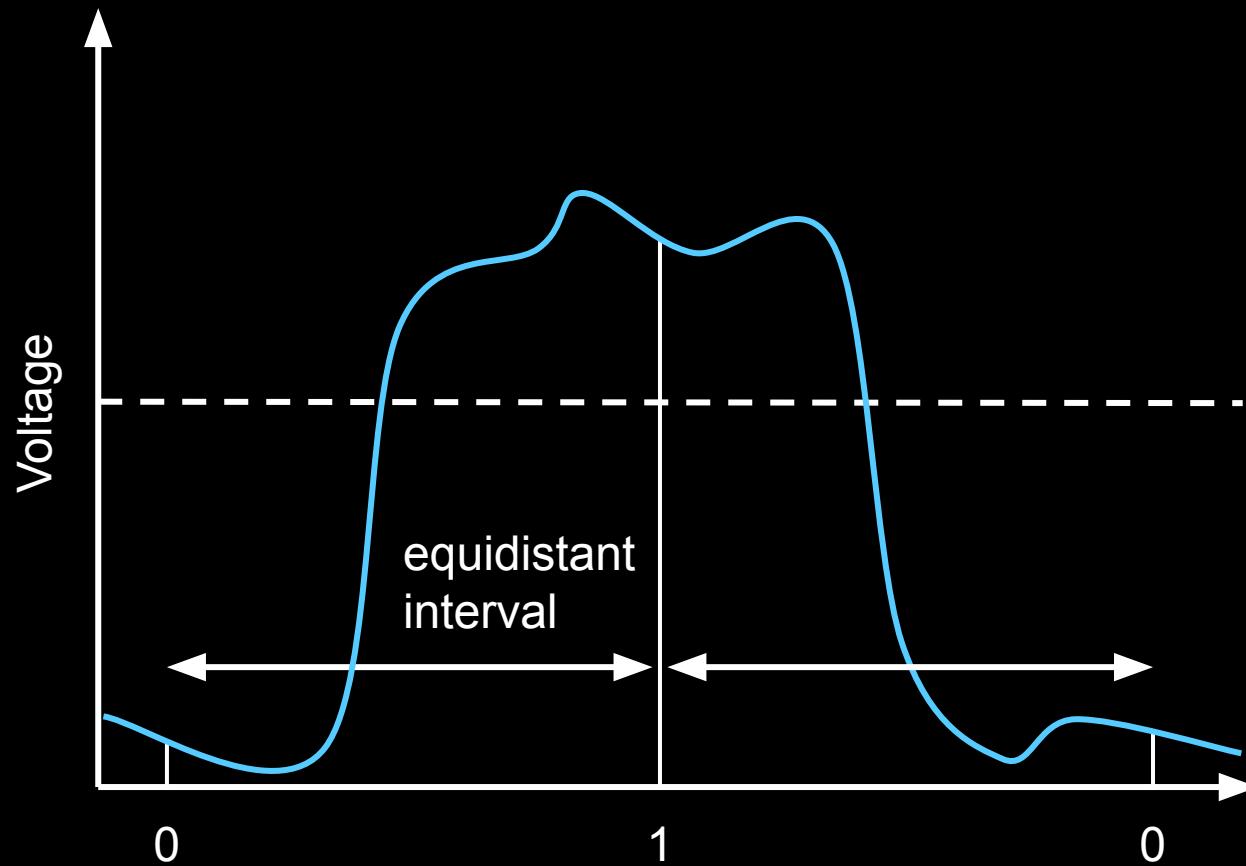


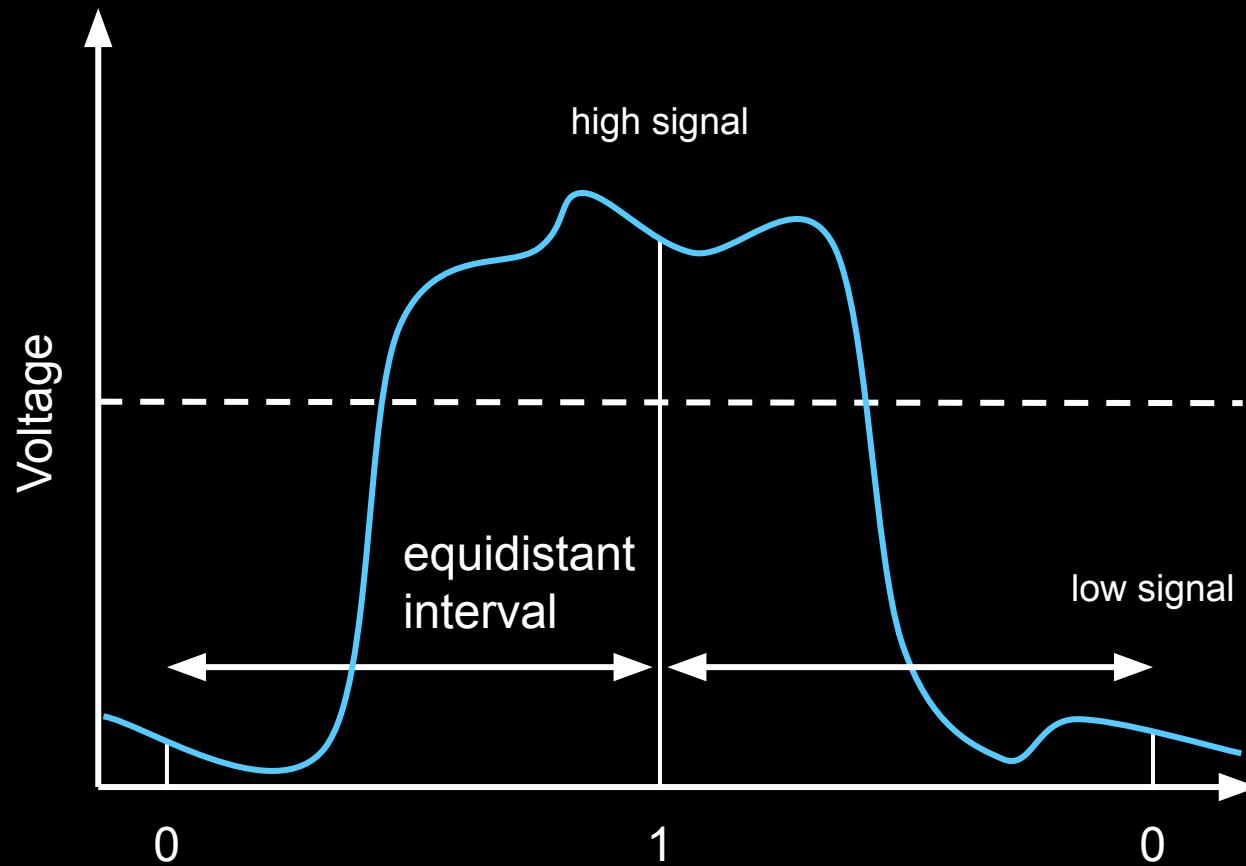




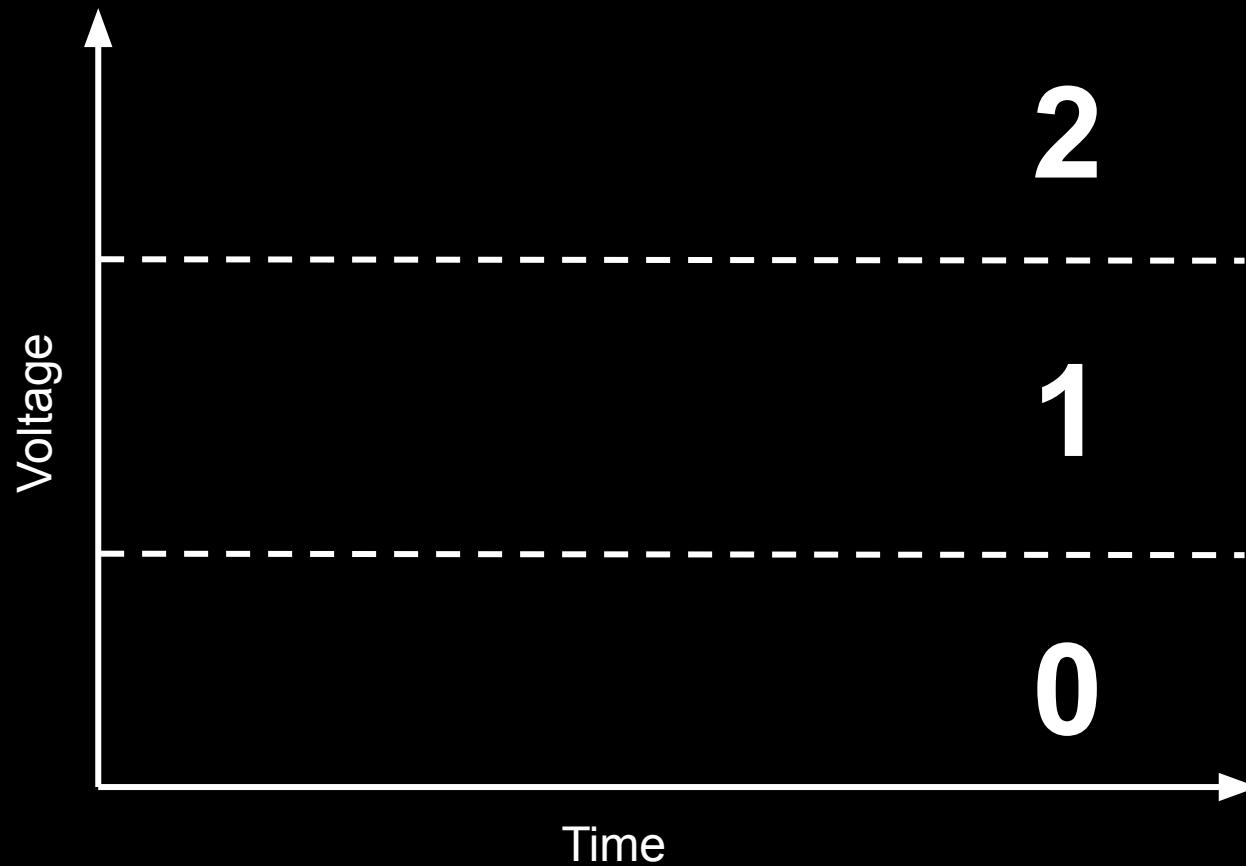


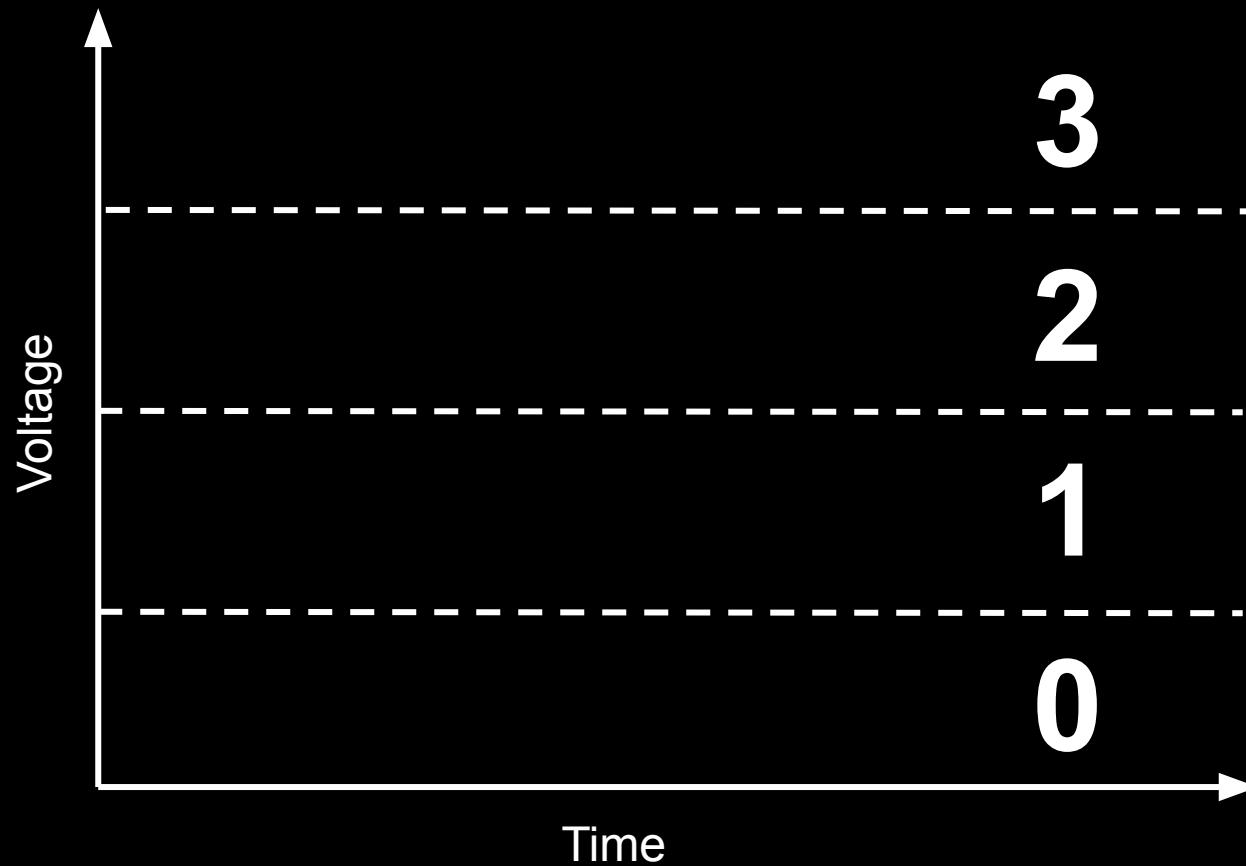


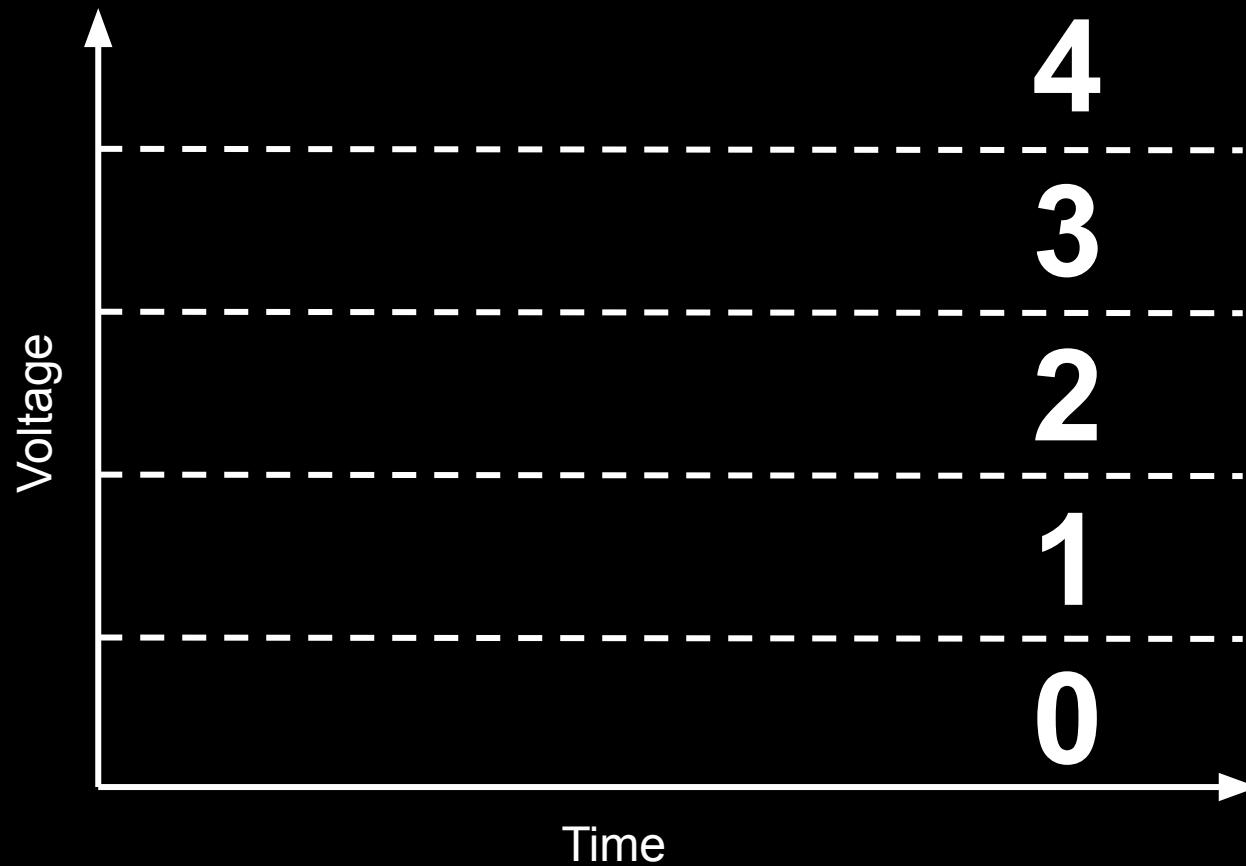


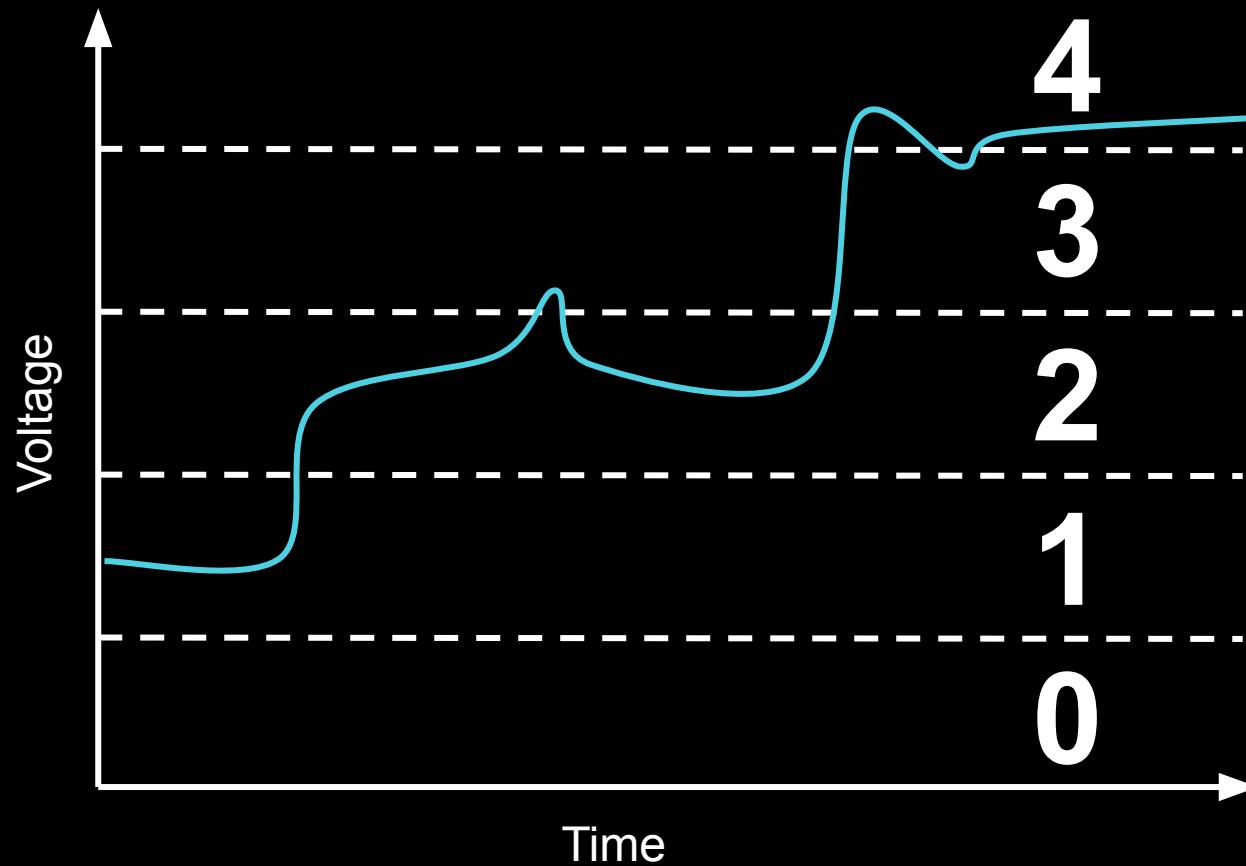


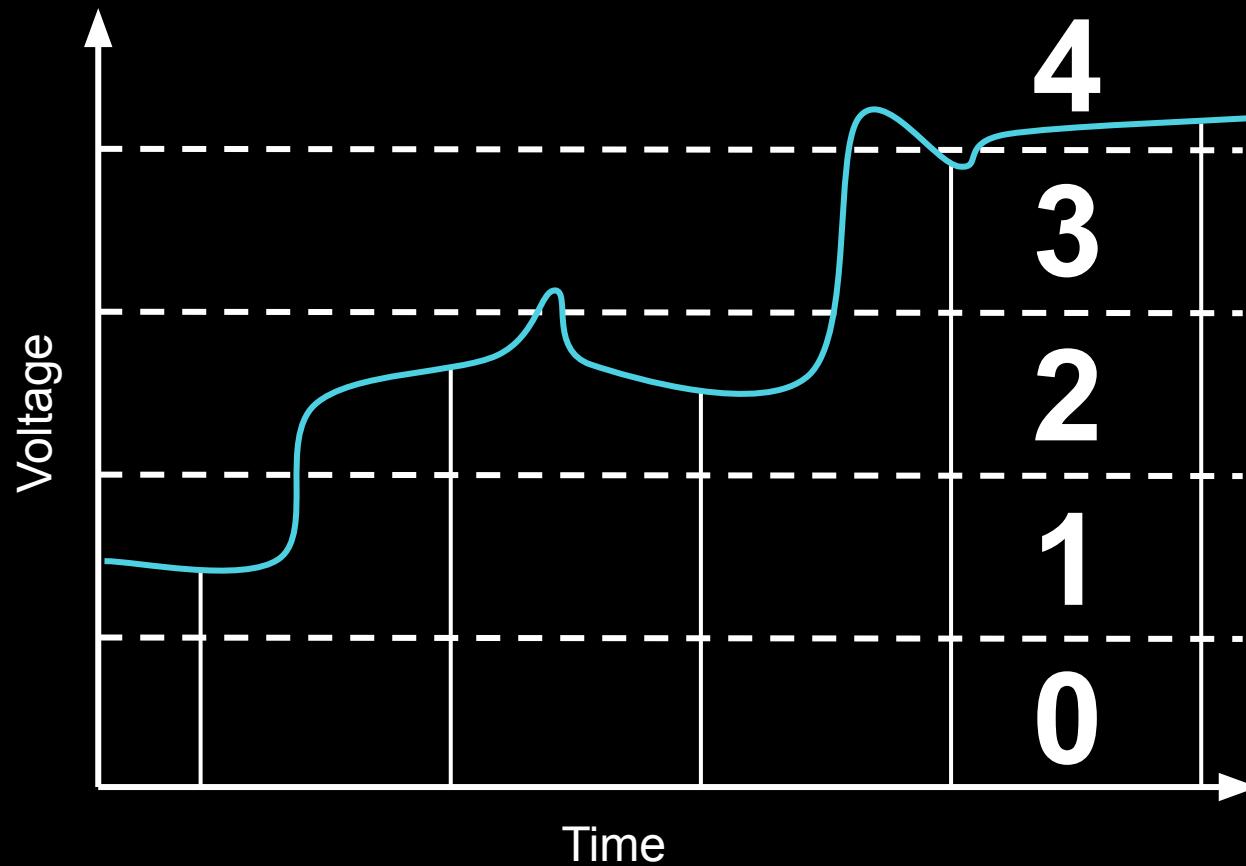
what about  $R > 2$ ?

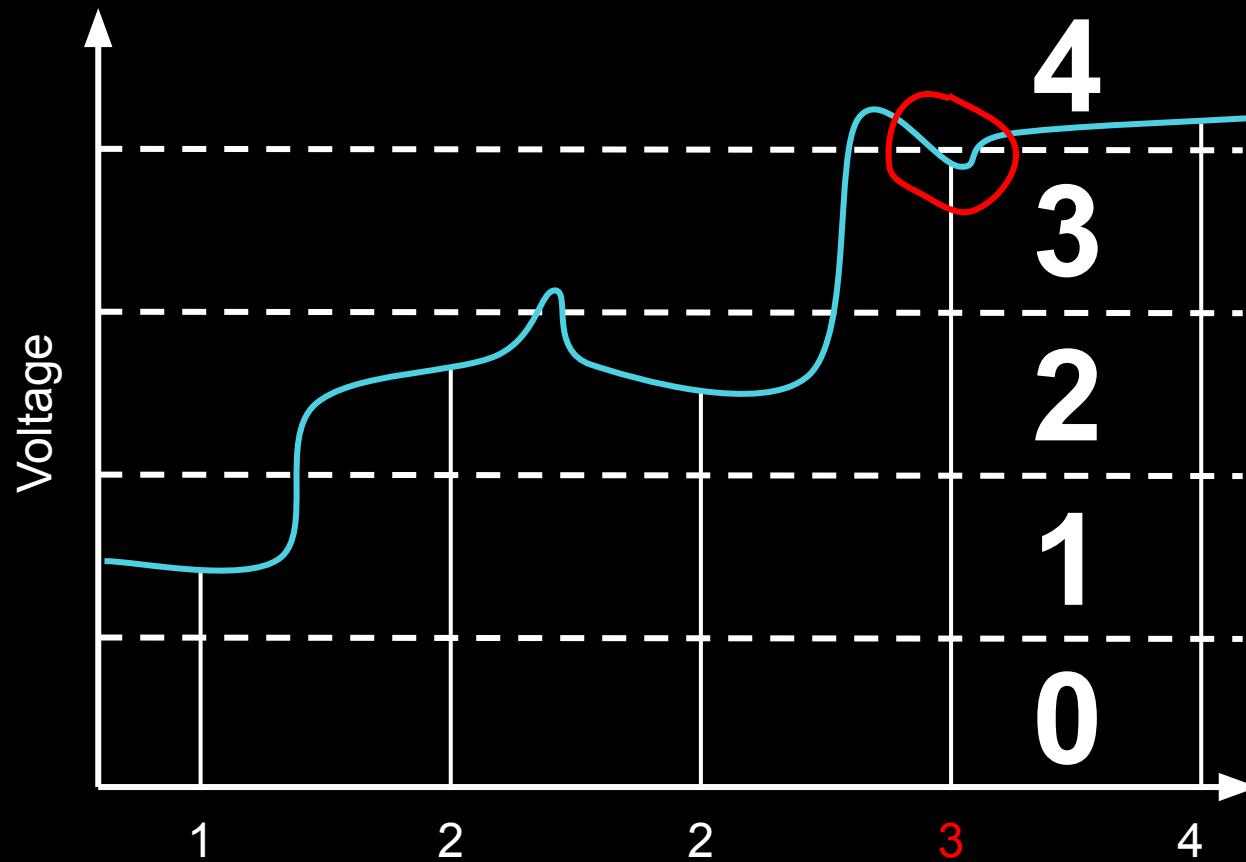












a higher base means less hardware

a higher base means less hardware  
but more complex devices

a higher base means less hardware  
but more complex devices  
and more errors